therefore cannot be depleted of it, it is logical to The following relations are applied: assume that in these animals, too, these reactions are caused by ascorbic acid.

However, there is one exception: the melanin granules in the Langerhans cells and the Malpighian layer of the skin show a reaction which may not be attributed to ascorbic acid, since it persists after methyl alcohol

extraction, and does not disappear in the scorbutic guinea pig. This single exception ought not to cause confusion because of the easily recognizable pigment

(2) On the other hand, the absence of reaction with acid silver nitrate may indeed be observed in some tissues rich in ascorbic acid (suprarenal medulla, liver . . .), so that a negative result must not be necessarily interpreted as indicating the absence of ascorbic acid.

The chief reason for this failure to reduce silver nitrate is the presence in the organs of factors inhibiting the reduction of ascorbic acid; these 'inhibiting factors' have been described by Huszak⁸ in the suprarenal medulla and by de Caro and Giani⁹ in other tissues.

In short, the absence of a coloration by acid silver nitrate does not necessarily mean the absence of ascorbic acid, but a positive reaction is a very specific test for this substance. A. GIROUD.

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¹ A. Szent-Győrgyi, Bioch. J., 22, 1387 (1928); Bull. Soc. Chem. Biol., 25, 694 (1933).

² Harris and Ray, Quick, Hamilton, Siehrs and Miller, Giroud and Leblond, Galvao and Carvoso, quoted in C. P. Leblond, Medical Thesis, Paris, 1934.

^a The formula of the reagent used is: Glacial acetic acid, 1 c.c.; Silver nitrate, 10 gr.; Water up to 100 c.c. A Giroud and C. P. Leblond, Arch. d'Anat. Microsc., 30, 105 (1934); Arch. d'Anat. Microsc., 31, 111 (1935).

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⁷ C. G. King, Physiol. Rev., 16, 238 (1936).

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Kerr Constants of the Hydrogen Halide Gases

On the basis of a recent note dealing with the polarization ellipsoids of the hydrogen halide gases1, it becomes possible to calculate their Kerr constants (Na-D line, 20° C., 760 mm.), numbers which should be directly capable of experimental verification.

We take the Boltzmann constant $k=1.371\times 10^{-16}$ erg per degree per molecule, $T=293^{\circ}$ K., $\pi=3\cdot1416$, $N=(6\cdot064\times10^{23}\times273)/(22,414\times293)=2\cdot522\times10^{19}, \ {\rm and}\ \ \Delta_{\rm HX}=0\cdot0119.$ Further experimental and estimated constants, different for the four halides, are taken as follows:

Di-atom	$n_{\mathfrak{D}}$	n_{∞}	μ	b_1	b_2
HF	1·000140	1.000136	1.58 × 10-18	0.96×10^{-24} 3.07 4.19 6.24	0.72 × 10-24
HCl	1·000446	1.000435	1.06		2.30
HBr	1·000612	1.000594	0.80		3.14
HI	1·000919	1.000883	0.41		4.68

 $K_1 = \frac{2\pi N}{15kT} \left[(b_1 - b_2)^2 \, \frac{n_{\infty}^2 - 1}{n_{N}^2 - 1} \right] = 2 \cdot 629 \times 10^{32} \left[(b_1 - b_2)^2 \frac{n_{\infty}^2 - 1}{n_{N}^2 - 1} \right]$. (1)

$$K_{1} = \frac{3 \Delta}{2\pi kNT(6-7 \Delta)} (n_{\infty}-1) (n_{D}-1) = 9 \cdot 477 \times 10^{-8} (n_{\infty}-1) (n_{D}-1) .$$
 (2)

$$K_2 = \frac{2\pi N}{15k^2T^2}\mu^2 (b_1 - b_2) = 6.545 \times 10^{45} \mu^2 (b_1 - b_2)$$
 (3)

where the symbols have their usual significance.

The value of K_1 by (1) is probably more accurate than by (2), and is independent of the result $\Delta_{HX} = a$ constant. As an approximate check on the theory by which these numbers are derived, however, the value of K_1 by (2) is substituted in (1) to obtain a calculated value of $b_1 - b_2$, for comparison with that derived from the estimated b_1 's and b_2 's given above. Comparison of the last two columns of the following scheme shows the general run of the numbers to be in agreement.

Di-atom	K_1 by (1), K_2 , K (× 10 ¹⁵)			K ₁ by (2)	$b_1 - b_2 (\times 10^{24})$	
	A ₁ by	(1/, A ₂ , A	(× 10 -)	A ₁ by (2)	est.	calc.
HF	0.015	(3.922)	(3.94)	0.018	0.24	0.26
HCl	0.152	5.662	5.81	0.184	0.77	1.18
HBr HI	0.281	4·399 1·717	2.33	0.345	1.05 1.56	1.16

 $K_{\rm HCl}$ agrees closely, as expected, with the experimental value 5.75×10^{-15} (Hansen²). The constants for other wave-lengths can be estimated by this method as required.

It is noteworthy that HCl appears to have the highest constant in the group. As, however, K2 is very sensitive to changes in u, this may not be significant. If μ_{HF} were as large as $2 \cdot 0$ (Smallwood³), $K_2 = 6.282$, K = 6.30, making the gradation continuous from HF to HI.

The present results appear to support the theory put forward in the former communication1.

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The 2.73µ Absorption Band in Fused Silica

Lyon and Ellis in a recent note1 refer to the absence of the $2.73\,\mu$ infra-red absorption band in specimens of fused silica examined by them, and suggest that the band found at this wave-length by previous investigators may be due to an impurity, possibly CO2 or H2O.

It is certainly unlikely, as I have previously pointed out2, that it can be due to vitreous SiO2, since the absorption coefficient at the centre of this band was widely different in specimens examined by Parlin³

(K = 0.52), Dreisch⁴ (K = 0.33) and me⁵ (K = 0.03) and, further, crystalline quartz shows no trace of such a band whilst every other band in fused silica between 1 and 7.5 μ has its counterpart in the crystalline quartz spectrum.